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# Learning the Semantic Words and Pictures

Barnard *et al.*

Presented by Michael S. Ryoo

# Annotation Problem

- We want to predict ‘text’ information, given an image.
- Primitive method:
  - Perform ‘recognition’ for each region.
  - Tiger in a sky?
- Joint probability!



# Input



Image  
processing\*



“This is a picture of the  
sun setting over the sea  
with waves in the  
foreground”

Language  
processing



sun sky waves sea

Each blob is a  
large vector of  
features

\* Thanks to Blobworld team [Carson, Belongie, Greenspan, Malik], N-cuts team [Shi, Tal, Malik]

Model for joint probability of text and blobs

Impossible



Random Bits



Unlikely



Keywords: Shopping mall



Reasonable



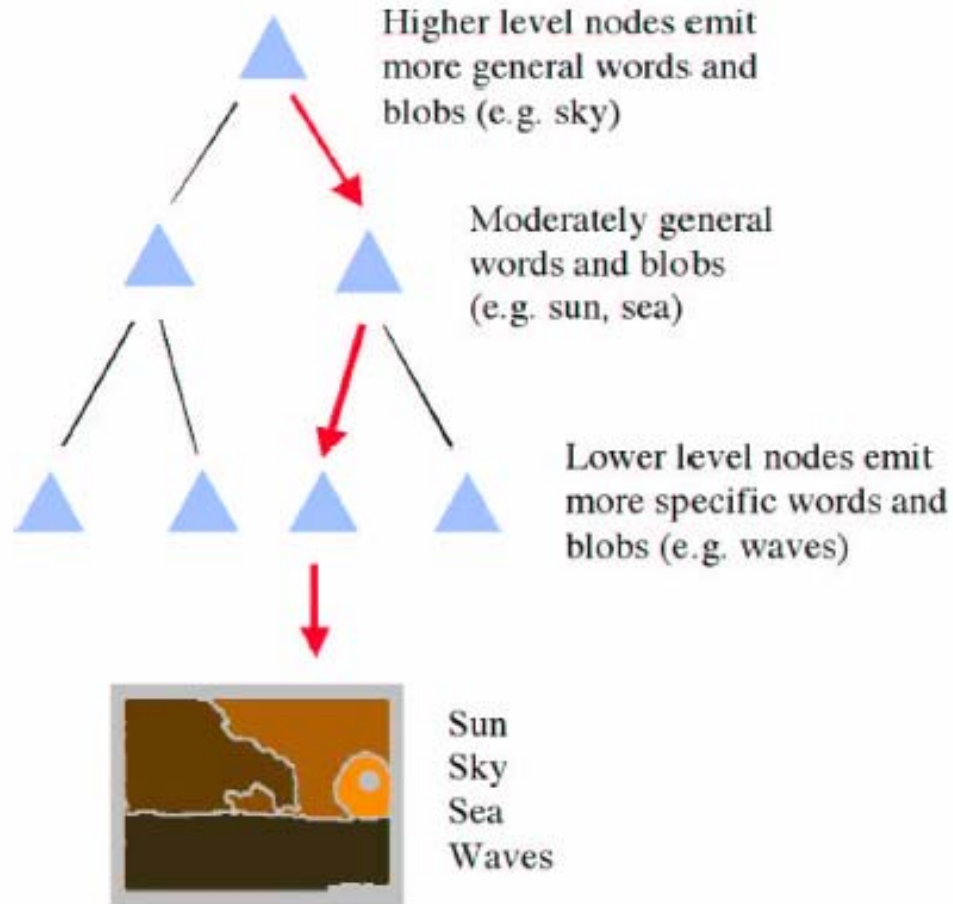
Keywords: Sky water sun

# Hierarchical model

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- Model for joint probability of text and blobs.
- Extension of Hofmann's model for text.
  - Hofmann, 1998; Hofmann and Puzicha, 1998
  - Each node generates a (region, word) pair.
  - Following a path from the root to a leaf generates full image and full text.

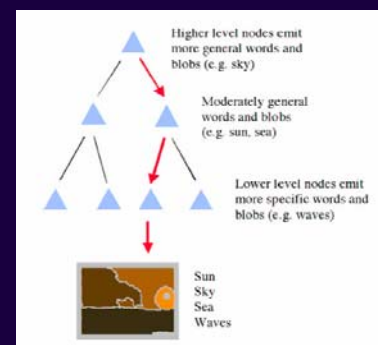
# Hierarchical model



# Probability Distribution

- Correlation considered model.

$$p(D|d) = \sum_c p(c) \prod_{(w,b) \in D} \left[ \sum_l p((w,b)|l,c) p(l|d) \right]$$



- Conditionally independent model.

$$p(D|d) = \sum_c p(c) \prod_{w \in W} \left[ \sum_l p(w|l,c) p(l|d) \right]^{\frac{N_w}{N_{w,d}}} \prod_{b \in B} \left[ \sum_l p(b|l,c) p(l|d) \right]^{\frac{N_b}{N_{b,d}}}$$

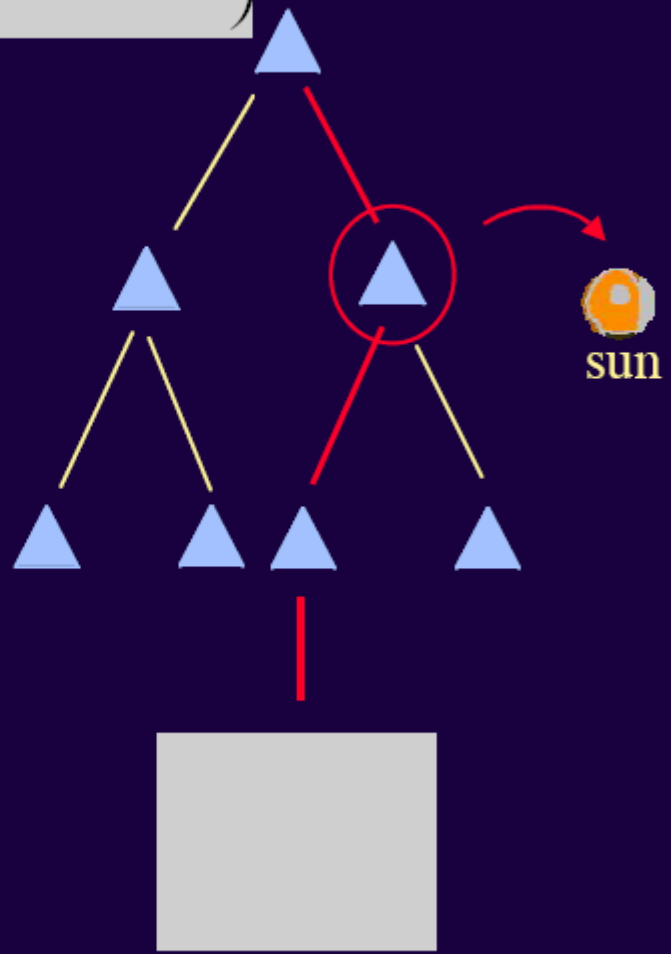
- Observations  $D = (W + B)$ , document  $d$ , cluster  $c$ , and level  $l$ .

$$P(D | d) = \sum_c P(c) \prod_{p \in D} \left( \sum_l P(p | l, c) P(l | d) \right)$$

cluster  
 $c = 3$

level  
 $l = 2$

pair  
 $p = 1$



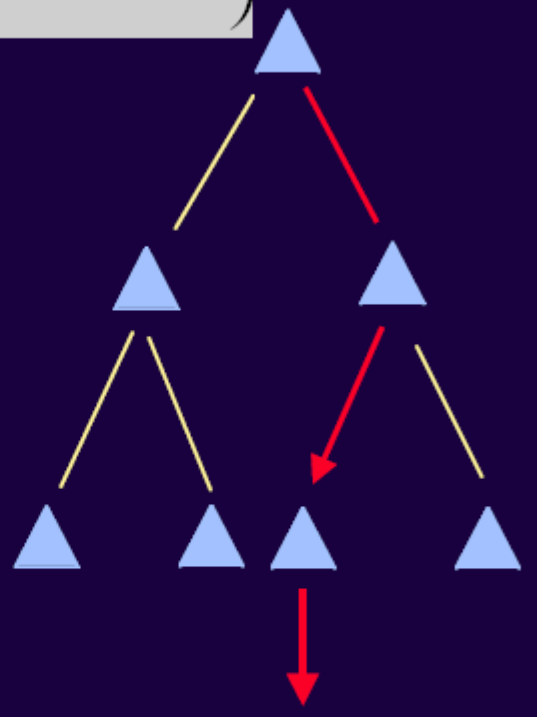


$$P(D | d) = \sum_c P(c) \prod_{p \in D} \left( \sum_l P(p | l, c) P(l | d) \right)$$

cluster  
 $c = 3$

level  
 $l = 2$

pair  
 $p = 1$

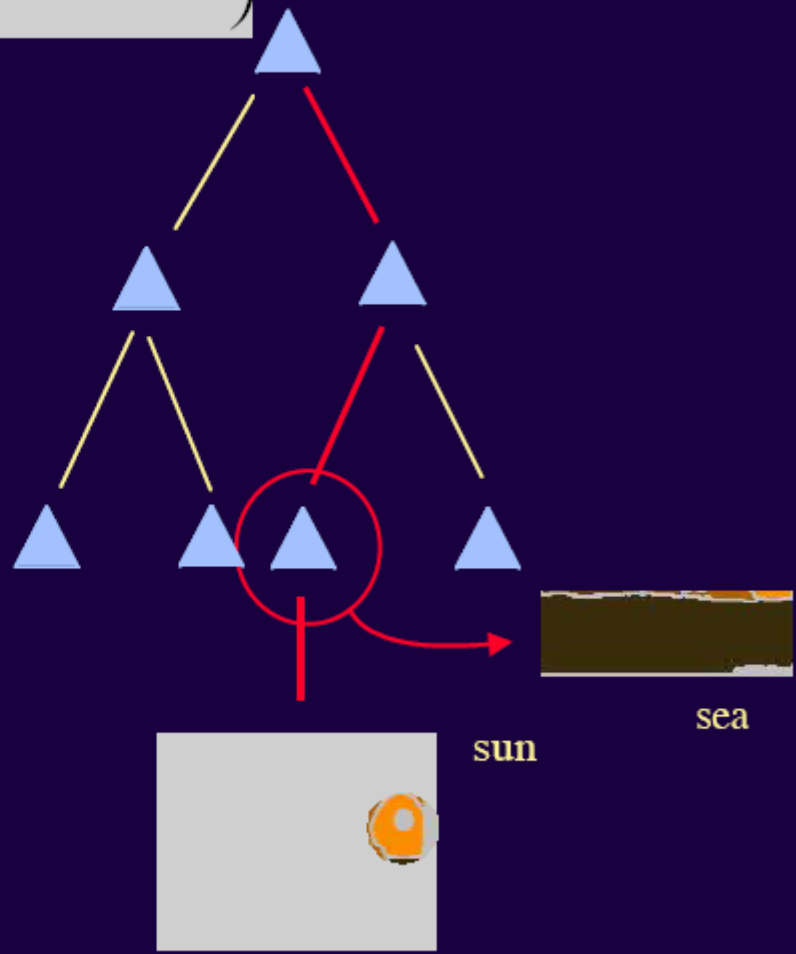


$$P(D | d) = \sum_c P(c) \prod_{p \in D} \left( \sum_l P(p | l, c) P(l | d) \right)$$

cluster  
 $c = 3$

level  
 $l = 3$

pair  
 $p = 2$

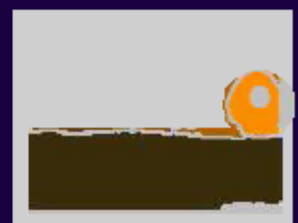
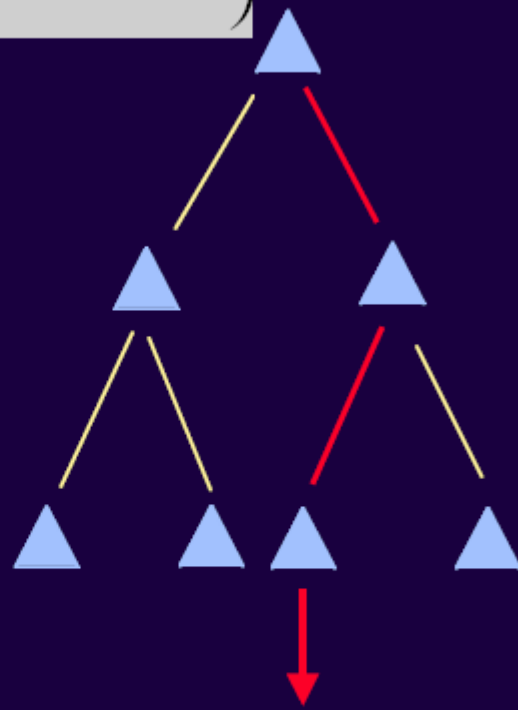


$$P(D | d) = \sum_c P(c) \prod_{p \in D} \left( \sum_l P(p | l, c) P(l | d) \right)$$

cluster  
 $c = 3$

level  
 $l = 3$

pair  
 $p = 2$



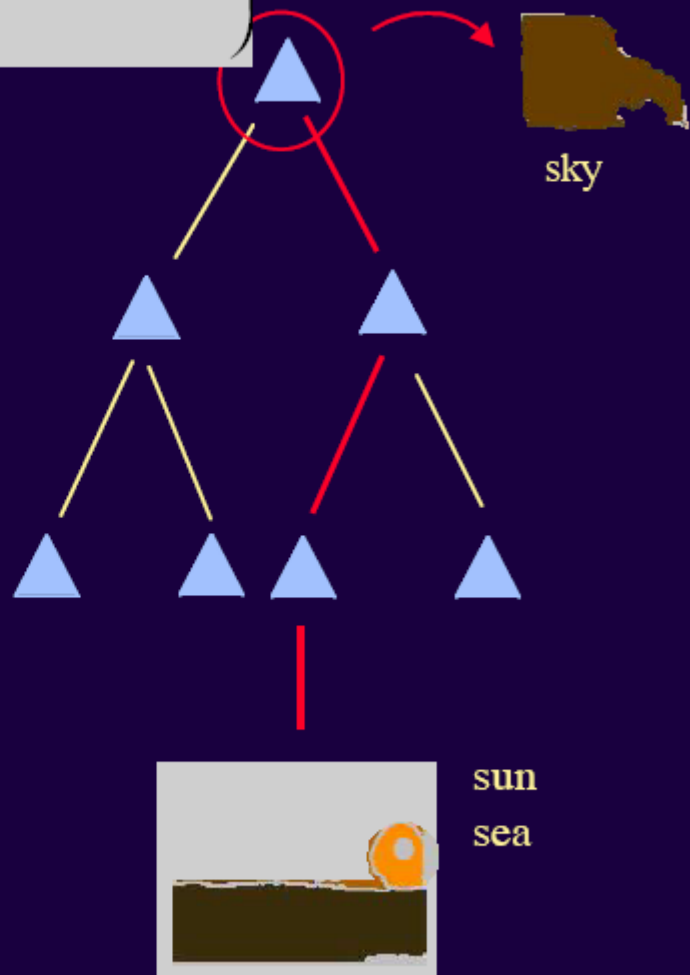
sun  
sea

$$P(D | d) = \sum_c P(c) \prod_{p \in D} \left( \sum_l P(p | l, c) P(l | d) \right)$$

cluster  
c = 3

level  
l = 1

pair  
p = 3

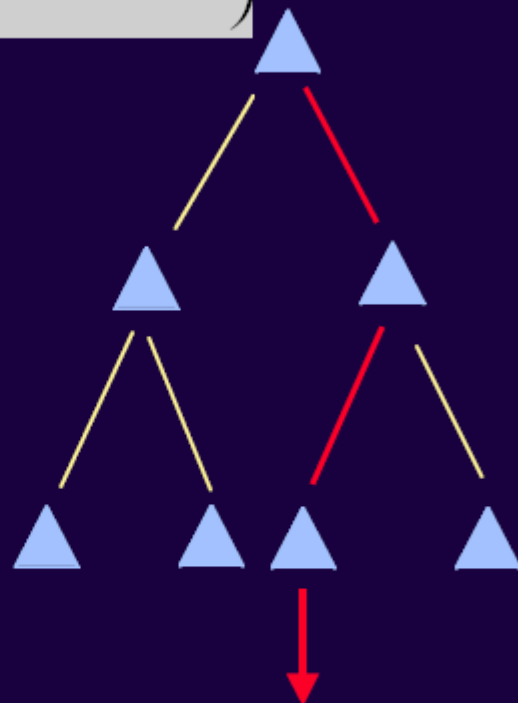


$$P(D | d) = \sum_c P(c) \prod_{p \in D} \left( \sum_l P(p | l, c) P(l | d) \right)$$

cluster  
 $c = 3$

level  
 $l = 1$

pair  
 $p = 3$



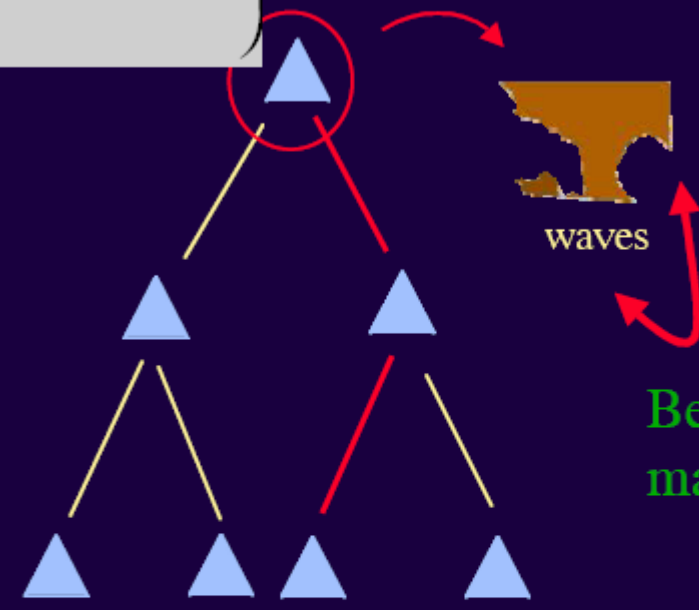
sun  
sea  
sky

$$P(D | d) = \sum_c P(c) \prod_{p \in D} \left( \sum_l P(p | l, c) P(l | d) \right)$$

cluster  
 $c = 3$

level  
 $l = 1$

pair  
 $p = 4$



waves

Best  
match!



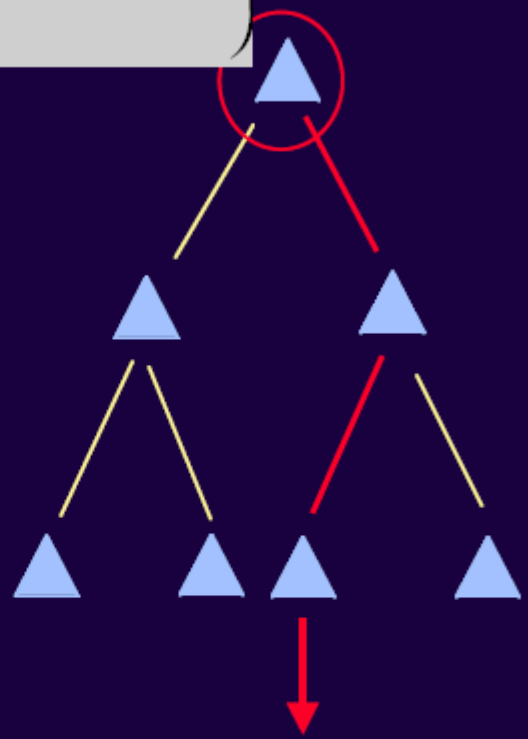
sun  
sea  
sky

$$P(D | d) = \sum_c P(c) \prod_{p \in D} \left( \sum_l P(p | l, c) P(l | d) \right)$$

cluster  
 $c = 3$

level  
 $l = 1$

pair  
 $p = 4$

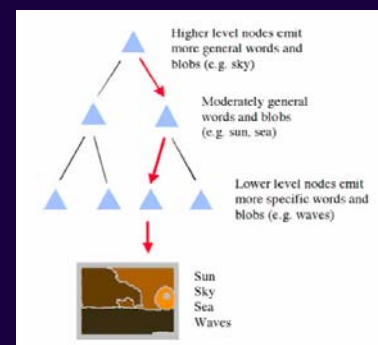


sun  
sea  
sky  
waves

# Probability Distribution

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- Observations  $D = (W + B)$ , document  $d$ , cluster  $c$ , and level  $l$ .



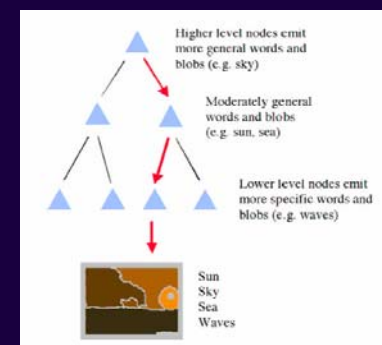
# Predicting words using model

- Annotation,  $P(w | b) \approx P(w, b)$
- Correlation considered model.

$$p(w \Leftrightarrow b) \approx \sum_c p(c) \sum_l p((w, b) | l, c) p(l | d).$$

- Conditionally independent model.

$$p(w|b) \propto \sum_c p(c) \sum_l p(l) p(w|l, c) p(b|l, c).$$



# Evaluation

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- Compared annotation done by their model and ‘empirical’ word distribution model.
  - Annotate all region as common word (water?)
- Calculated Kullback-Leibler divergence.

$$E_{KL}^{(model)} = \sum_{w \in \text{vocabulary}} p(w) \log \frac{p(w)}{q(w|B)}$$

$$E_{KL}^{(model)} = \frac{1}{K} \sum_{w \in \text{observed}} \log \frac{p(w)}{q(w|B)}$$

- Also constructed their own function.
  - $E_{NS}^{(model)} = r/n - w/(N - n)$

# Corel Database



118011  
WATER HARBOR  
SKY CLOUDS



TIGER CAT WATER GRASS



1090  
SUN CLOUDS  
WATER SKY



1015  
SUN TREE  
PLAIN SKY



143078  
MOUNTAINS TREES  
aspens VALLEY



102042  
MUSEUM memorial  
FLAGS GRASS



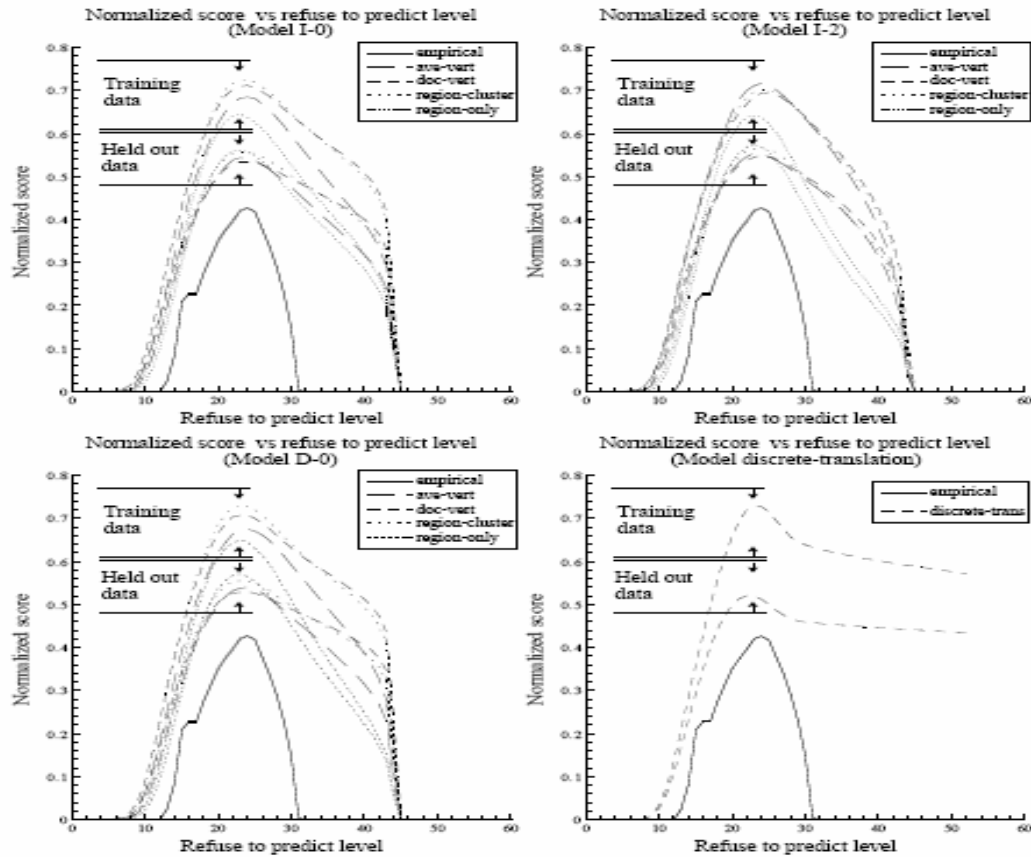
119094  
GARDEN BUILDING  
FLOWERS TREES



131007  
GARDEN FLOWERS  
HOUSE TREES

392 CD's, each consisting of 100 annotated images.

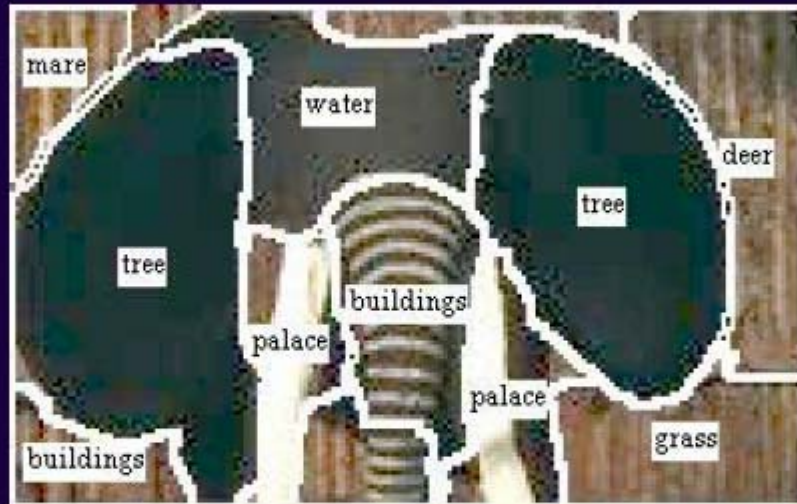
# Experiments



# Experiments

Method	Training data	Held out data	Novel data
linear-I-0-doc-vert	0.301 (0.005)	0.174 (0.007)	0.081 (0.007)
binary-I-0-ave-vert	0.294 (0.006)	0.154 (0.006)	0.064 (0.008)
binary-I-0-doc-vert	0.325 (0.006)	0.160 (0.007)	0.065 (0.008)
binary-I-0-region-cluster	0.332 (0.006)	0.168 (0.007)	0.068 (0.008)
binary-I-0-region-only	0.234 (0.006)	0.160 (0.006)	0.062 (0.008)
binary-I-2-ave-vert	0.331 (0.006)	0.164 (0.008)	0.068 (0.007)
binary-I-2-doc-vert	0.322 (0.006)	0.170 (0.008)	0.074 (0.008)
binary-I-2-region-cluster	0.324 (0.006)	0.179 (0.008)	0.076 (0.008)
binary-I-2-region-only	0.228 (0.006)	0.163 (0.006)	0.068 (0.007)
linear-D-0-doc-vert	0.321 (0.005)	0.167 (0.006)	0.076 (0.008)
binary-D-0-ave-vert	0.284 (0.007)	0.151 (0.007)	0.061 (0.008)
binary-D-0-doc-vert	0.321 (0.007)	0.157 (0.007)	0.064 (0.008)
binary-D-0-region-cluster	0.330 (0.006)	0.166 (0.008)	0.067 (0.008)
binary-D-0-region-only	0.239 (0.006)	0.162 (0.007)	0.064 (0.007)
binary-D-2-ave-vert	0.312 (0.005)	0.162 (0.003)	0.066 (0.005)
binary-D-2-doc-vert	0.358 (0.005)	0.172 (0.003)	0.069 (0.005)
binary-D-2-region-cluster	0.360 (0.005)	0.179 (0.003)	0.072 (0.005)
binary-D-2-region-only	0.248 (0.005)	0.167 (0.003)	0.066 (0.005)
linear-C-0-region-only	0.240 (0.005)	0.124 (0.007)	0.046 (0.006)
binary-C-0-ave-vert	0.252 (0.006)	0.143 (0.007)	0.060 (0.008)
binary-C-0-doc-vert	0.281 (0.006)	0.148 (0.006)	0.054 (0.007)
binary-C-0-region-cluster	0.290 (0.006)	0.157 (0.007)	0.064 (0.007)
binary-C-0-region-only	0.233 (0.006)	0.163 (0.006)	0.071 (0.006)
discrete-translation	0.318 (0.005)	0.111 (0.007)	0.016 (0.008)
MoM-LDA	0.125 (0.005)	0.107 (0.005)	0.041 (0.007)





# Searching Problem

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- Given query image or query sentences, find a document that best matches.
  - Google Images
  - Content-based Image Retrieval
- This paper mentions that annotated words can be matched with queries...
  - $P(Q | d)$  vs  $P(d | Q)$
  - Need to consider prior probabilities.



# Conclusions

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- Hierarchical model was proposed.
- Modeling image regions and words jointly.
- Annotation of image regions were done.



**Keywords:** rose flower plant leaves

Query on  
“Rose”



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Example from Berkeley  
Blobworld system

Query on



Example from Berkeley  
Blobworld system

