This print-out should have 8 questions. Multiple-choice questions may continue on the next column or page – find all choices before answering.

001 10.0 points

Determine whether the series

$$\sum_{k=1}^{\infty} \frac{3}{k^7 + 8}$$

converges or diverges.

- **1.** series is convergent
- **2.** series is divergent

002 10.0 points

Determine whether the series

$$\sum_{n=1}^{\infty} \frac{n+1}{n^2}$$

converges or diverges.

- **1.** series is convergent
- **2.** series is divergent

003 10.0 points

Which of the following series

(A)
$$\sum_{n=1}^{\infty} \frac{4n}{2n^2 + 3}$$

(B)
$$\sum_{n=1}^{\infty} \left(\frac{4}{5}\right)^n$$

(C)
$$\sum_{n=15}^{\infty} \left(\frac{2}{3}\right)^n$$

converge(s)?

1. B only

2. A, B, and C

- **3.** B and C only
- **4.** *C* only
- **5.** A and B only

004 10.0 points

Determine whether the series

$$\sum_{k=1}^{\infty} \frac{2}{4+3^k}$$

converges or diverges.

- **1.** series is divergent
- **2.** series is convergent

005 10.0 points

Determine whether the series

$$\sum_{k=1}^{\infty} \frac{k}{(k+1)3^k}$$

converges or diverges.

- **1.** series is divergent
- **2.** series is convergent

006 10.0 points

If a_k , b_k , and c_k satisfy the inequalities

$$0 < a_k \leq c_k \leq b_k,$$

for all k, what can we say about the series

$$(A): \sum_{k=1}^{\infty} a_k, \qquad (B): \sum_{k=1}^{\infty} b_k$$

if we know that the series

$$(C): \sum_{k=1}^{\infty} c_k$$

is divergent but know nothing else about a_k and b_k ?

- **1.** (A) diverges, (B) converges
- **2.** (A) diverges, (B) diverges
- **3.** (A) need not diverge, (B) diverges
- **4.** (A) converges, (B) need not converge
- **5.** (A) diverges, (B) need not diverge
- **6.** (A) converges, (B) diverges

007 10.0 points

Determine whether the series

$$\sum_{k=1}^{\infty} \frac{2+k+k^2}{\sqrt{4+k^2+k^6}}$$

converges or diverges.

- **1.** series is divergent
- **2.** series is convergent

008 10.0 points

Determine whether the series

$$\sum_{n=1}^{\infty} \frac{\cos^2(n)}{n^2 + 2}$$

converges or diverges.

- **1.** series is divergent
- **2.** series is convergent