a
A parallelizable MAC (PMAC) — general idea:

Can use similar ideas as CMAC Crandomized prefix-free encoding) to support messages that is not constant multiple of block size

- On sequential machine, PMAC comparable to ECBC, NMAC, CMAC Rest MAC we've seen so far, but not used... - On parallel machine, PMAC much better J J Reason: patents: [not patented anymore!]

summary : Many techniques to build ^a large-domain PRF from a small-domain one (domain extension for PRF) \hookrightarrow Each method (ECBC, CMAC, PMAC) gives a MAC on variable-length messages was of these designs (or their variants) are standardized chine, PMAC much better
chaigues to baild a large-domain PRF from a small-ole
Each method (ECBC, CMAC, PMAC) gives a MAC on us
May of these designs (or thir variants) are <u>standardized</u>

How do we <u>combine</u> confidentiality and integrity?

do we <u>combine</u> confidentiality and integrity?
I Systems with both guarantees are called <u>authenticated encryption</u> schemes - gold standard for symmetric encryption

Two natural options:

1. Encrypt - then MAC (TLS ¹ . x , Ts_{c}) \leftarrow $(TLS 1.24, TPsec)$ \leftarrow guaranteed to be secure if we instantiate using CPA-secure encryption (SSL 3.0/TLS 1.0, 802.11:) \leftarrow 2. MAC-then-encrypt 8 2 as we will see, <u>not</u> always secure

Definison. An encryption scheme The Gorph,Decrypt) is an authenticated encryption scheme if it satisfies the following two properties: - CPA security [contidentiality]

cin believing can complement of the continuously ciphertext integrity [integrity] rtext integrity [integrity]
adversary [integrity] challenger
http://ke^{rkk} MAC (TLS 1.2+, IPsec)
appt (SSL 3.0/TLS 1.0, 8
ion scheme The² (Enorpt, Decrypt)
A security [contiduented]
adversery [integri
adversery m.
C: (= Enorpt(k,m) (c) $\frac{6}{3}$
 $\frac{6}{3}$
 $\frac{1}{3}$

output 1 if $c \notin \{c_1, c_2, ...\}$ S^{pecd} special symbol \perp to denote insulid ciphertext and Decrypt $(k, c) \neq \bot$ $\begin{array}{c}\n\cdot & \cdot \\
\cdot & \cdot\n\end{array}$

Define CIAdv [A, Thse] to be the probability that output of above experiment is 1. The scheme Thse satisfies ciphertext integrity it for all efficient adversaries A, CIAdv [A, The] = negl(x)
L

security parameter determines key length

Encrypted under kA

Ciphertext integrity says adversary cannot come up with a new ciphertext : only ciphertexts it can generate are those that are already valid. Why do we want this property?

kA, kB KE Consider the following active attack scenario: pted under ka

FisiBob Ka, kb ke

Message > mail server

> To: - Each user shares a key with ^a mail server - - To Mail send server mail decrypts , user encrypts the email contents , re-encrypts and send it under to mail recipient's server key and delivers email Eve KA Alice intercepts / and If Eve is able to tamper with the encrypted message, $k_A = \frac{1}{\sqrt{2\pi}} \left(\frac{1}{\sqrt{2\pi}} \right)$ kg, kg kg then she is able to learn the encrypted contents (even if Not user shares a key with a mail server

end mail, user encrypts contents and send to mail server

wil server decrypts the email, re-encrypts it under recipent's ky and delivers email

If Eve is able to tamper with the en KA modifies Le Encypted
Eve Encypted
Eve Encypted \rightarrow More broadly, an adversary can tamper and inject ciphertexts into a system and observe the user's behavior to learn information about the decrypted values - against active attackers, we need <u>stronger</u> notion of security

Definition. An encryption scheme The (Encrypt, Decrypt) is secure against chosen-ciphertext attacks (CCA-secure) if for all efficient adversaries A, CCAAdv[A, Tise] = negl. where we define CCAAdv[A, Tise] as follows:

b'E [u,13 adversary can make arbitrary encryption and decryption queries, but cannot decrypt any ciphertexts it received from the $CCAAdv[A, \pi_{s}\epsilon] = |Pc[b=1|b=0] - Pc[b=1|b=$ 1]) challenger (otherwise, adversary can trivially break security (\rightarrow called an "admissibility" criterion

CCA-security captures above attack scenario where adversary can tamper with ciphertexts where out possibility of transforming encryption
wheressary for security against <u>active</u> adversaries adversary can tamper with ciphotexts
of x112 to encryption of y112
(CPA-security is for security against passive adversaries] \rightarrow We will see an example of a real CCA attack in $HW1$

Theorem. If an encryption scheme The provide authenticated encryption, then it is CCA-secure. Theorem. If an encryption scheme The provide authenticated encryption, then it is CCA-secure.
2not Cideo). Consider an adversary A in the CCA-security game. Since The provides ciphertext integrity,
to the adversarie decorp the challenger's response to the adversary's decryption query will be 1 with all but negligible probability. This means we can implement the decryption oracle with the "output 1" function. But then this is equivalent to the CPA-security game. [Formalize using a hybrid argument] simple counter-example: concatenate unused bits to end of ciphertest
In a CCA-secure scheme (stripped acouy during
Note: Converse of the above is not true since CCA-security \$ ciphertex

 \Rightarrow However, CCA-security + plaintext integrity \Rightarrow cuthenticated encryption

Take-way: Authenticated encryption captures meaningful confidentiality + integrity properties; provides <u>active</u> security

 $Encrypt$ then MAC: Let (Encrypt, Verify) be a CPA-secure encryption scheme and (Sign,Verify) be a secure MAC. We define Encrypt-then-MAC to be the following scheme :

Energy^t ((k_E, kn), m):
$$
c \leftarrow
$$
 Every $t(k_E, m)$

\n $t \leftarrow$ Sign (kn, c)

\nindependent keys

\noutput (c, t)

\nDeccept' ((k_E, kn), (c, t)): if Verify (km, c, t) = 0, output L

\nelse, output Decrypt (k_E, c)

- Theorem. If (Encrypt, Decrypt) is CPA-secure and (Sign, Verify) is a secure MAC, then (Encrypt', Verify') is an authenticated encryption scheme.
- Proof. (Sketch). CPA-security follows by CPA-security of (Encrypt, Decrypt). Specifically, the MAC is computed on ciphertexts and <u>not</u> the messages. MAC key is independent of encryption key so cannot compromise CPA-security Ciphertext integrity follows directly from MAC security. (i.e., any valid ciphertext must cantain a new tay on some ciphertext that was not given to the adversary by the challenger) $\begin{minipage}{0.5\linewidth} \textbf{Impotential} \end{minipage} \begin{minipage}{0.5\linewidth} \textbf{Impotential} \end{minipage} \begin{minipage}{0.5\linewidth} \textbf{Impartial} \end{minipage} \begin{minip$
- Encryption + MAC kays must be <u>independent</u>. Above proot required this (in the formal reduction, need to be able to simulate ciphertexts/MACs - only possible if reduction can choose its own key). .
ate ciphertexts/MACs — only possible if reduction can chase its own key).
https://www.alsongive.explicit constructions that are <u>completely booken</u> if same key is wed. (i.e., both properties fail to
	- hold)
	- \mapsto In general, never <u>rever</u> cryptographic keys in different zuhemes; instead, sample fresh, independent keys! - MAC needs to be computed over the entire ciphertext ↑
		- Early version of ISO ¹⁹⁷⁷² for AE did not MAC IV (CBC used for CPA-secure encryption) means first
block (i.e.,"haada")
is <u>malleable</u> - RNCryptor in Apple iOS (for data encryption) also problematic (HMAC not applied to encryption IV)] is malleable

#then-Encrypt : Let (Encrypt, Verify) be ^a CPA-secure encryption scheme and (Sign,Verify) be ^a secure MAC. We define MAC-then-Encrypt to be the following scheme : $\mathcal{E}_{\mathsf{Sym}}(k_{\mathsf{m}},m): \mathcal{E}_{\mathsf{Sym}}(k_{\mathsf{m}},m)$

$$
C \leftarrow \text{Everypt}(k_E, (m, t))
$$

output c

Decrypt ((KE, km), (c, t)) : compute (m, t) < Decrypt (K_{E,} c) compute (m, ϵ) = Decrypt (K_E, C)
if Verify (km, m, t) = 1, autput m, else, output 1

Not generally secure! SSL3.0 (precursor to TLS) used randomized (BC ⁺ secure MAC

↳ Simple CCA attack on scheme (by exploiting padding in CBC encryption)

[POODLE attack on SSL 3,0 can decrypt all encrypted traffic using a CCA attack] Padding is ^a common source of problems with MAC-then-Encrypt systems [see HW2 for an example)

In the past, libraries provided separate encryption + MAC interfaces - common source of errors

↳ Good library design for crypto should minimize ways for users to make errors , at provide more flexibility

ne of the most widely used is GCM (Galois counter mode) - standardized by NIST in 2007

GCM mode: follows encrypt-then-MAC paradigm

- Today, there are standard block cipher modes of operation that provide <u>authenticated encryption</u>
- One of the most widely used is GCM (Gabis counter mode) standardized by NIST in
- CPA-secure encryption is nonce-based c CPA-secure encryption is nonce-based counter mode Most commonly used in conjuction with AES
- MAC is a Carter-Wegman MAC (AES-GCM provides accthenticated encryption)

It "encrypted one-time MAC"

<u>GCM encryption</u> GCM encryption: encrypt message with AES in counter mode Galois Hosh Kanading hash fanction estatuation at Or compute Carter-Wegman MAC on resulting message using CHASH as the underlying hash function & and the block cipher as underlying PRF ^T GHASH operates on blocks of 128-bits

operations can be expressed as operations over Typically, use <u>AES-GCM</u> for authenticated encryption **GF(2R)** - Galas field with 2²⁸ elements implemented in hardware - very fast!

Oftentimes, only part of the payload needs to be hidden, but still reeds to be <u>authenticated</u> ↳ e. g., sending packets over ^a network : desire confidentiality for packet body, but only integrity for packet headers (otherwise, cannot route!)

AEAD : authenticated encryption with associated data

- \mapsto augment encryption scheme with additional plaintext input ; resulting ciphertext ensures <u>integrity</u> for associated dota, but no*t confident*ality I (will not define formally here but follows straightforwardly from $A \in$ definitions)
- ts can construct directly via "encrypt-then-MAC": namely, encrypt payload and MAC the ciphertext + associated olata
- \rightarrow AES-GCM is an AEAD scheme