



How (not) to take a checkpoint

- Block execution, save entire process state to stable storage
 - very high overhead during failure-free execution
 - lots of unnecessary data saved on stable storage

How to take a checkpoint

- Take checkpoints incrementally
 - save only pages modified since last checkpoint
 - use "dirty" bit to determine which pages to save
- Save only "interesting" parts of address space
 - use application hints or compiler help to avoid saving useless data (e.g. dead variables)
- Do not block application execution during recovery
 - copy-on-write























How to Avoid the Domino Effect

Coordinated Checkpointing

- No independence
- Synchronization Overhead
- Easy Garbage Collection

Communication Induced Checkpointing : detect dangerous communication patterns and checkpoint appropriately

- Less synchronization
- Less independence
- Complex



































Preliminary Definitions

Given a message m sent from m.source to m.dest,

- $\begin{array}{c|c} \mathsf{Depend}(\mathsf{m}) \colon \left\{ p \in P \middle| \begin{array}{c} \lor(p = m.dest) \text{ and } p \text{ delivered } m \\ \lor(\exists e_p : (deliver_{m.dest}(m) \to e_p)) \end{array} \right\} \end{array}$
- Log(m): set of processes with a copy of the determinant of m in their volatile memory

p orphan of a set C of crashed processes: $(p \notin C) \land \exists m : (Log(m) \subseteq C \land p \in Depend(m))$

The "No-Orphans" Consistency Condition No orphans after crash C if: $\forall m : (Log(m) \subseteq C) \Rightarrow (Depend(m) \subseteq C)$ No orphans after any C if: $\forall m : (Depend(m) \subseteq Log(m))$ The Consistency Condition $\forall m : (\neg stable(m) \Rightarrow (Depend(m) \subseteq Log(m)))$

Optimistic and Pessimistic

No orphans after crash \subset if: $\forall m : (Log(m) \subseteq C) \Rightarrow (Depend(m) \subseteq C)$ Optimistic weakens it to: $\forall m : (Log(m) \subseteq C) \Rightarrow \diamond (Depend(m) \subseteq C)$

No orphans after any crash if: $\forall m : (\neg stable(m) \Rightarrow (Depend(m) \subseteq Log(m)))$ Pessimistic strengthens it to: $\forall m : (\neg stable(m) \Rightarrow |Depend(m)| \le 1)$

$$Causal Message Logging$$

$$Description of the second secon$$



