The classical navigation problem: moving a robot from one point to another without collision with any obstacle

4

The classical navigation problem: moving a robot from one point to another without collision with any obstacle

5

Classical Navigation vs. End-to-End Learning

Strengths of classical navigation:

- Verifiable safety assurance
- Explainable components for debugging
- Generalizability to different scenarios

Weaknesses of classical navigation:

- Requires extensive engineering effort
- System performance won't improve without manual intervention
- Propagation of errors through multiple components

Learning navigation in highly constrained spaces

Normal Environment [*Pfeiffer et al., RA-L18*]

Highly-Constrained Environments [*Xiao et al., RA-L21*]

Learning navigation in highly constrained spaces

○ Classical motion planners require **increased computation**.

- Sampling-based methods require more samples to generate feasible motion. [*Kavraki et al., TRA96, Fox et al., RAM97, LaVelle, TechReport98*]
- Trajectory-optimization-based methods require more optimization iterations. [*Quinlan et al., 93, Zucker et al., IJRR13, Zhou et al,. RA-L21*]

○ Learning-based planners suffer from **lack of good-quality training data.**

- Demonstration is difficult to acquire for Imitation Learning. *[Pfeiffer et al., ICRA17, Tai et al., IROS16*]
- Trial-and-error is expensive for Reinforcement Learning. [*Tai et al., IROS17, Chiang et al., RA-L19*]

Challenge: [https://www.cs.utexas.edu/~xiao/BARN_Challenge/](https://www.cs.utexas.edu/~xiao/BARN_Challenge/BARN_Challenge.html) [BARN_Challenge.html](https://www.cs.utexas.edu/~xiao/BARN_Challenge/BARN_Challenge.html)

Dataset: <https://www.cs.utexas.edu/~xiao/BARN/BARN.html>

Learning navigation in highly constrained spaces

- Adaptive Planner Parameter Learning (APPL)
	- Learning local planners' parameters
	- Learning from non-expert humans using different interaction modalities

- Learning from Hallucination (LfH)
	- Learning a local planner
	- Learning from self-supervised experiences

Adaptive Planner Parameter Learning (APPL)

Robots need to face entirely different obstacle configurations.

Classical navigation systems require expert roboticists to fine-tune planner parameters.

> *max_vel_x*: 0.5 *min_vel_x*: 0.1 *max_vel_theta*: 1.57 *min_vel_theta*: -1.57 *vx_samples*: 6 *vtheta_samples*: 20 *occdist_scale*: 0.1 *pdist_scale*: 0.75 *gdist_scale*: 1.0 *Inflation_radius*: 0.30

......

Adaptive Planner Parameter Learning (APPL)

Inspiration: Most humans are not robotics experts, but they are navigation experts.

DEFAULT) **Corrective Teleoperated Demonstration** $(LEARNING$ **Interventions** Default DWA **APPLI SPPLE Evaluative** Reinforcemen[t](http://www.youtube.com/watch?v=JKHTAowdGUk&t=55) Feedback Learning**APPI D** APPLE

15

[ROS move_base]

In Learning Language…

[*Gao et al., CoRL17, Pfeiffer et al., ICRA17, Chiang et al., RA-L19, Xiao et al., RA-L21*]

[*Xiao et al., RA-L20, Wang et al., ICRA21, Wang et al., RA-L21, Xu et al., ICRA21*]

APPL from Human Interactions [Xiao et al., RAS22]

Algorithm 1 APPL

- 1: $//$ Training
- 2. **Input:** human interaction I , space of possible parameters Θ , and navigation stack G .
- $\pi = LearnParameterPolicy(\mathcal{I}, \Theta, G).$ $3:$
- 4: $//$ Deployment
- 5: Input: navigation stack G, parameter policy π .
- 6: for $t=1:T$ do
- construct meta-state s_t from x_t and θ_{t-1} . $7:$
- 8: $\theta_t = \pi(s_t).$
- Navigate with $G_{\theta_t}(x_t)$. $9:$
- 10: end for

APPLD imposes an internal structure to the general parameter policy

Context Predictor:

1. Collect demonstration

$$
\bigcap_{i=1}^{\infty} + \underbrace{(\bullet \bullet)}_{i=1} \longrightarrow \mathcal{I} = \mathcal{D} = \{x_i, u_i\}_{i=1}^N
$$

2. Perform automatic segmentation (e.g., using CHAMP [*Niekum et al. ICRA15*])

$$
\{\mathcal{D}_k = \{x_i, u_i \mid \tau_{k-1} \le i < \tau_k\}\}_{k=1}^K
$$

3. Train online context predictor $c_i = B_{\phi}(x_t)$ $B_{\phi}(x)$

$$
\phi^* = \underset{\phi}{\operatorname{argmax}} \sum_{i=1}^N \log \frac{\exp \left(f_{\phi}(x_i^D)[c_i] \right)}{\sum_{c=1}^K \exp \left(f_{\phi}(x_i^D)[c] \right)}
$$

$$
x_t) = \text{mode} \left\{ \underset{c}{\operatorname{argmax}} f_{\phi}(x_i)[c], \ t - p < i \leq t \right\}_{i=1}^N
$$

Parameter Library: For each context, use behavior cloning to construct each element of the parameter library *max_vel_x*: 0.5

Behavioral Cloning: Learn parameters from a demonstration using supervised learning.

$$
\theta^* = \arg\min_{\theta} \sum_{i} \ell(G(x_i; \theta), u_i)
$$

APPL from Human Interactions [Xiao et al., RAS22]

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- 10: end for

Adaptive Planner Parameter Learning from Interventions (APPLI) [*Wang et al., ICRA21*]

Robots do not behave suboptimally everywhere: **Intervention** when necessary

Adaptive Planner Parameter Learning from Interventions (APPLI) [*Wang et al., ICRA21*]

 \curvearrowleft

Context Predictor:

1. Collect (naturally segmented) interventions

2. Train context predictor with Evidential Deep Learning (EDL) [*Sensoy et al. NeurIPS18*]

$$
\sum_{\mathbf{r}} \mathbf{r} = I_{1:N} = \left\{ \{x_t, u_t\}_{t=1}^{T_i} \right\}_{1:N}
$$

$$
f_{\phi}(x_i) = (c_i, u_i) \quad g_{\phi}(x_i) = c_i 1(u_i \ge \epsilon_u)
$$

$$
B_{\phi}(x_t) = \text{mode}\left\{g_{\phi}(x_i), \ t - p < i \le t\right\}
$$

Parameter Library

3. Behavior clone parameters for each intervention $\theta^* = \arg \min_{\theta} \sum_i \ell(G(x_i; \theta), u_i)$

APPL from Human Interactions [Xiao et al., RAS]

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- $\theta_t = \pi(s_t).$ 8:
- Navigate with $G_{\theta_t}(x_t)$. 9:
- 10: end for

Adaptive Planner Parameter Learning from Evaluative Feedback (APPLE) [*Wang et al., RA-L21*]

Non-expert users may not be able to take control of the robot: **Evaluative feedback**

Discrete Adaptive Planner Parameter Learning from Evaluative Feedback (APPLE) [*Wang et al., RA-L21*]

Existing **Parameter Library** (from default, manually tuned, APPLD, APPLI, etc.) \int

Feedback Predictor:

1. Collect feedback set

$$
\sum_{i=1}^{n} \mathbf{H} \mathbf{F}^{\mathbf{F}} \longrightarrow \mathcal{I} = \mathcal{F} = \{x_j, \theta_j, e_j\}_{j=1}^{N} (\theta_j \in \mathcal{L})
$$

2. Train feedback predictor

$$
\phi^* = \underset{\phi}{\text{argmin}} \mathop{\mathbb{E}}_{(x_j, \theta_j, e_j) \sim \mathcal{F}} \ell(F_{\phi}(x_j, \theta_j), e_j)
$$

3. Deploy parameter policy

$$
\pi(\cdot|x) = \operatorname*{argmax}_{\theta \in \mathcal{L}} F_{\phi^*}(x, \theta)
$$

Adaptive Planner Parameter Learning from Evaluative Feedback (APPLE) [*Wang et al., RA-L21*]

Non-expert users may not be able to take control of the robot: **Evaluative feedback**

Continuous Adaptive Planner Parameter Learning from Evaluative Feedback (APPLE) [*Wang et al., RA-L21*]

Parameter Space instead of Parameter Library

Policy Network:

Train in actor-critic style

Critic

Actor

$$
\sum_{\phi^*} \prod_{\substack{\phi \text{argmin} \\ \phi^* = \text{argmin} \\ \psi^* = \text{argmin}} \mathop{\mathbb{E}}_{\substack{\mathbb{E}_{\phi} \\ \mathbb{E}_{\phi^*} \\ \theta_j \sim \pi_{\psi}(\cdot | x_j)}} \ell(F_{\phi}(x_j, \theta_j), e_j)}
$$

APPL from Human Interactions [Xiao et al., RAS22]

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- Navigate with $G_{\theta_t}(x_t)$. 9:
- 10: end for

Adaptive Planner Parameter Learning from Reinforcement (APPLR) [*Xu et al., ICRA21*]

What about no humans at all? **Reinforcement Learning**

Adaptive Planner Parameter Learning from Reinforcement (APPLR) [*Xu et al., ICRA21*]

Optimization Objective:
$$
\max_{\pi} J^{\pi} = \mathbb{E}_{s_0, \theta_t \sim \pi(s_t), s_{t+1} \sim \mathcal{T}(s_t, \theta_t)} \bigg[\sum_{t=0}^{\infty} \gamma^t r_t \bigg]
$$

Reward Design: $R_t(s_t, a_t, s_{t+1}) = R_f + 0.5R_n + 0.05R_c$

 $R_f(s_t, a_t) = \mathbb{1}(s_t$ is terminal) – 1

$$
R_p = \frac{(p_{t+1} - p_t) \cdot (\beta - p_t)}{|\beta - p_t|} \qquad R_c = -1/d(o_{t+1})
$$

APPL from Human Interactions [Xiao et al., RAS22]

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- $\theta_t = \pi(s_t).$ 8:
- Navigate with $G_{\theta_t}(x_t)$. $9:$
- 10: end for

Cycle-of-Learning from APPL [*Xiao et al., RAS22*]

Parameter Learning

Parameter Policy

 π_n

Action

Parameters:

Max Speed,

State

 \mathcal{S}

Reward

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